

Extremes in a changing climate

- an illustration of some generic issues

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30.1.2014

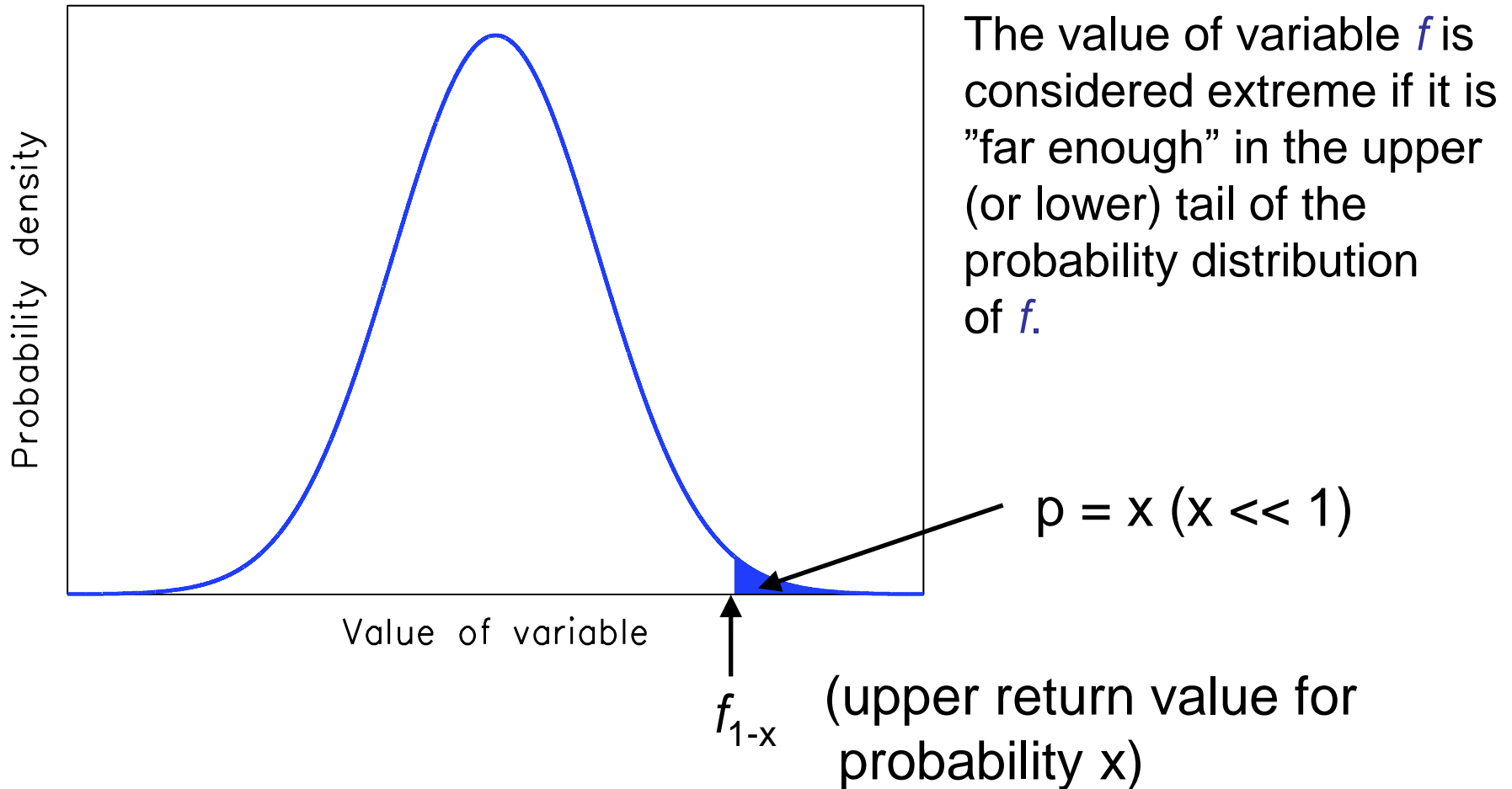
Things to be covered

- **Characterization of changing extremes:**
magnitude vs. frequency
- **Changes in mean vs. changes in variability?**
- **Effect of time scale:** daily vs. monthly
- **Can we predict extremes in future climate, and how?**

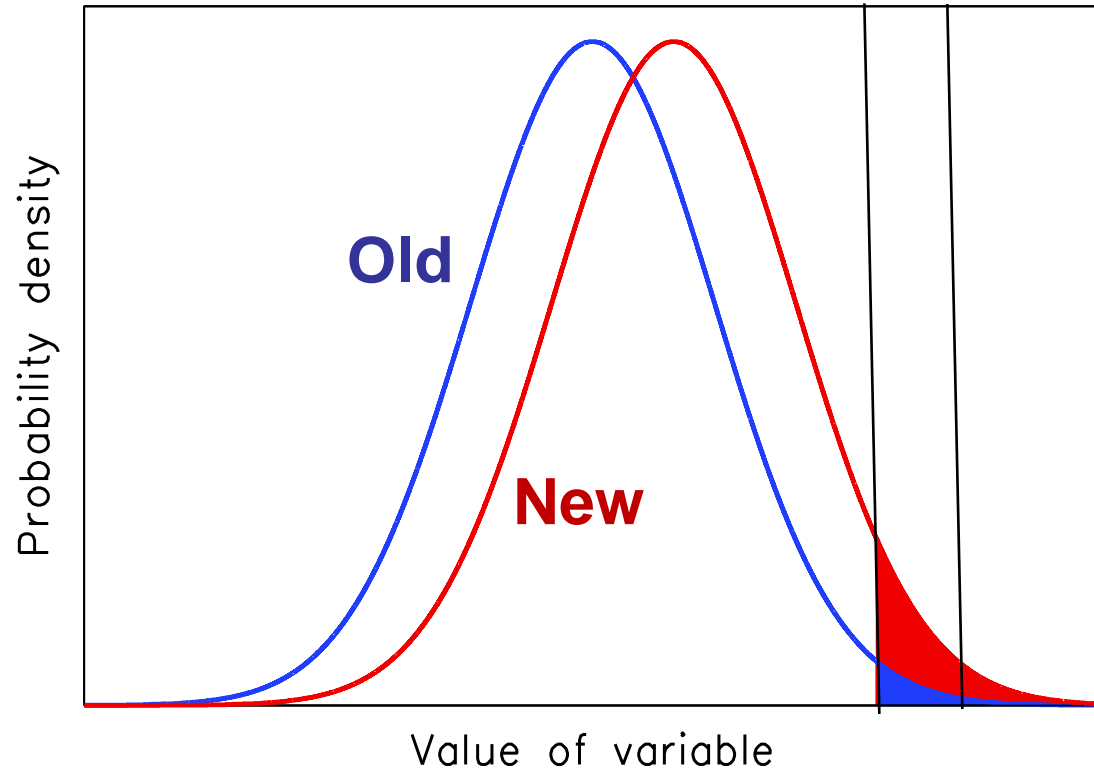
Examples for temperature only

Extremes in the present climate

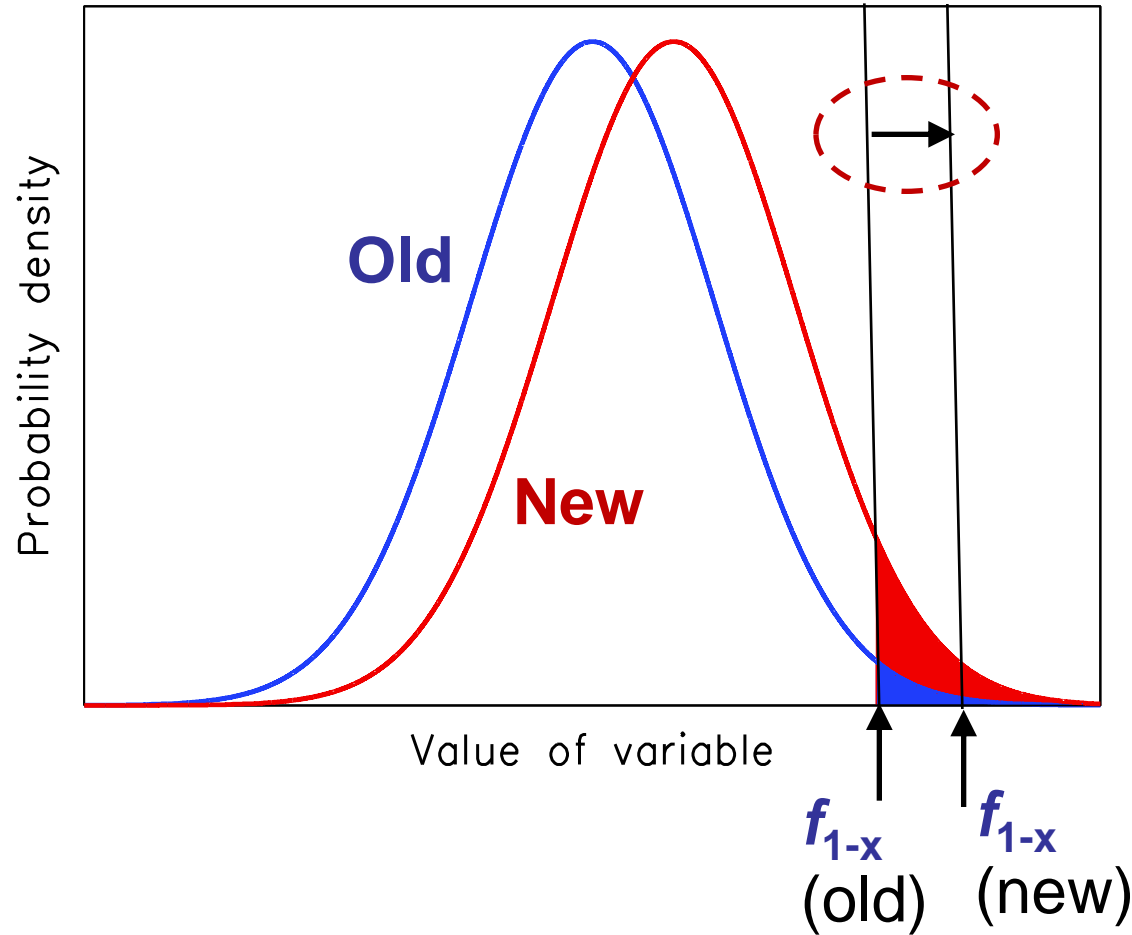
(a univariate view...)



Changes in extremes: future vs. present

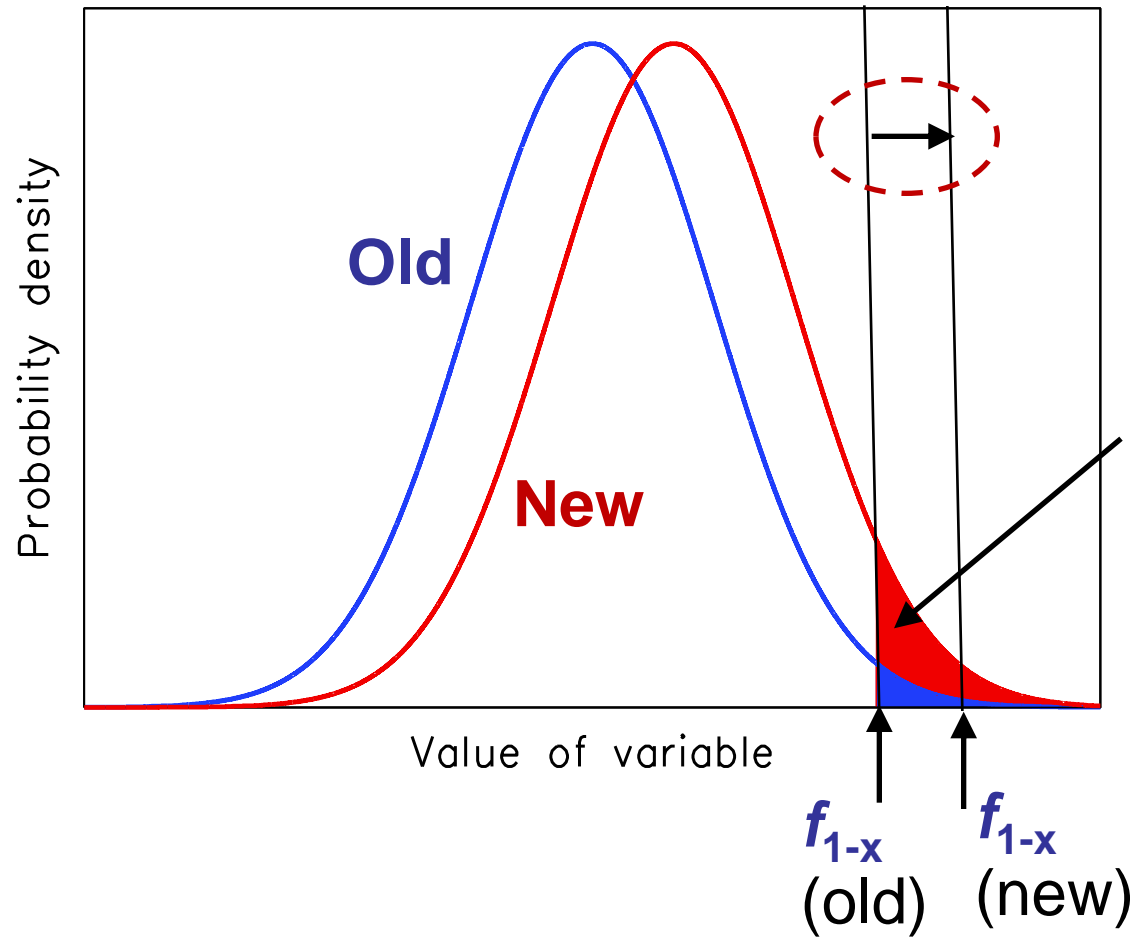


Changes in extremes: future vs. present



Change in the magnitude of extremes
= change in return value

Changes in extremes: future vs. present



Change in the magnitude of extremes
= change in return value

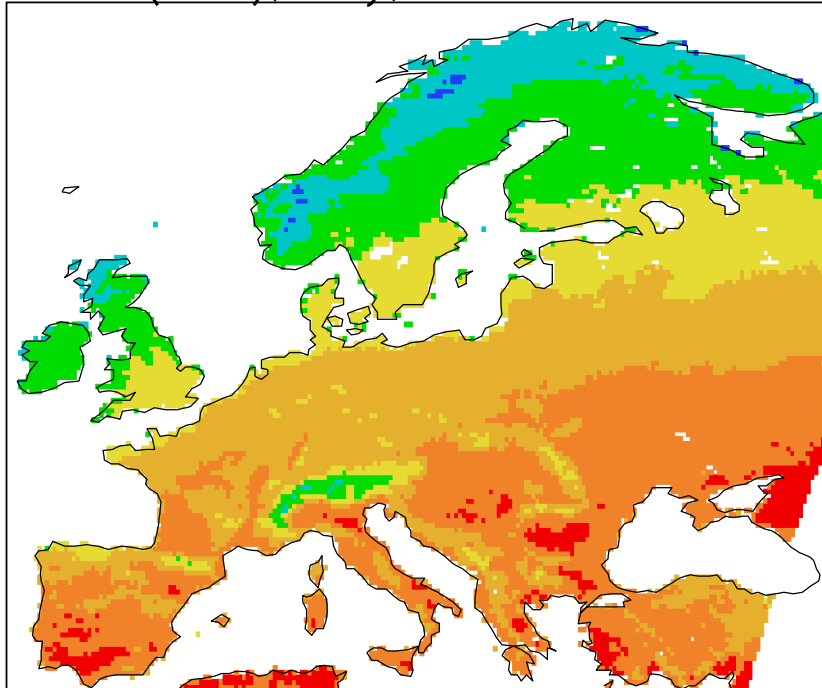
Change in the frequency of extremes:
probability of exceeding the old return value in the new climate

Model data for illustration

- **ENSEMBLES** regional climate model simulations
- **25 km** horizontal resolution
- **SRES A1B** scenario
- Here: **6 simulations** with non-overlapping GCM-RCM combinations
- **For most of the talk:**
 - "Old" climate = **1981-2010**
 - "New" climate = **2041-2070**
 - Results of the 6 models averaged
 - High extremes of daily **T_{\max} in July** + low extremes of daily **T_{\min} in January**

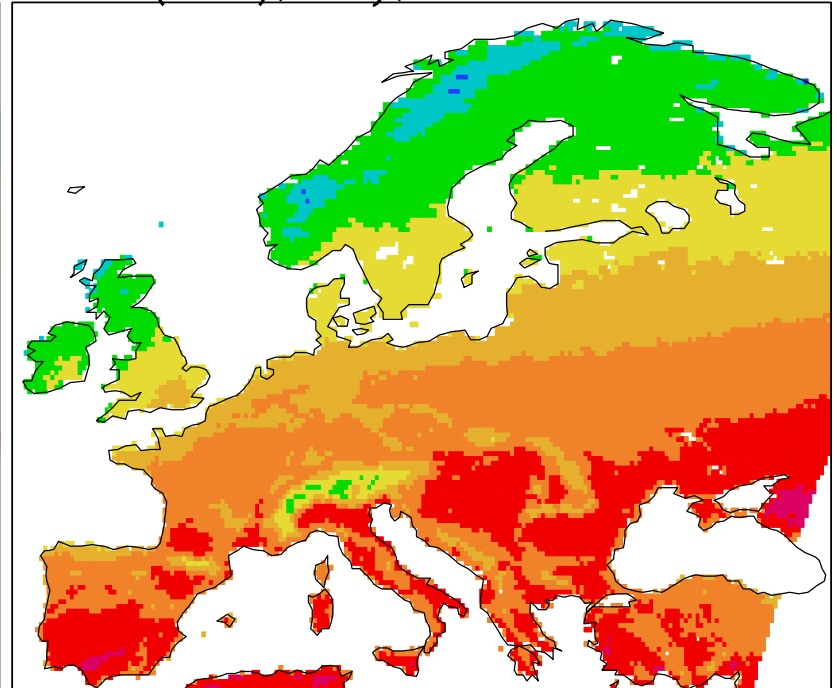
99th percentile of daily Tmax in July

Tmax (99%), July, 1981–2010



1981-2010:
area mean = **+31.7°C**

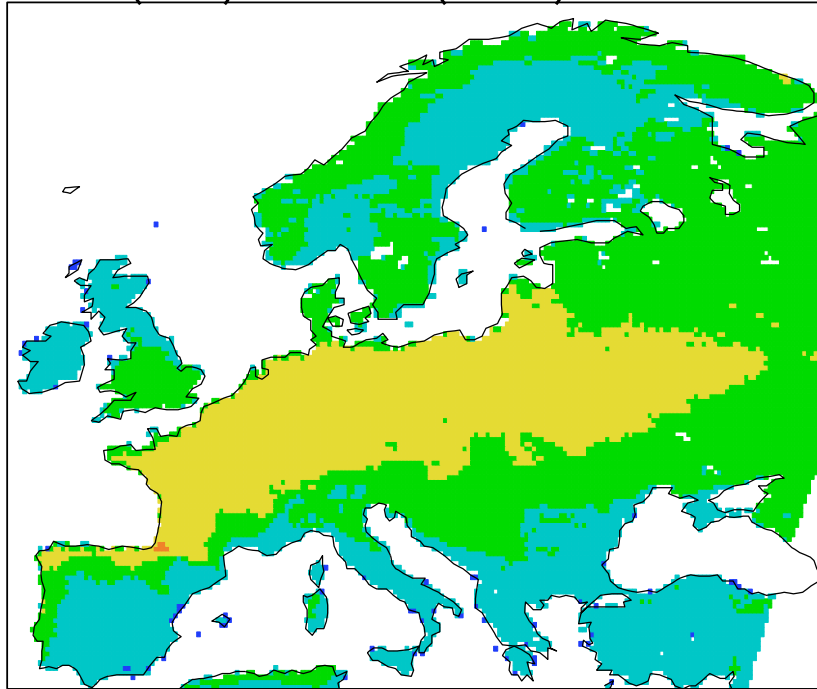
Tmax (99%), July, 2041–2070



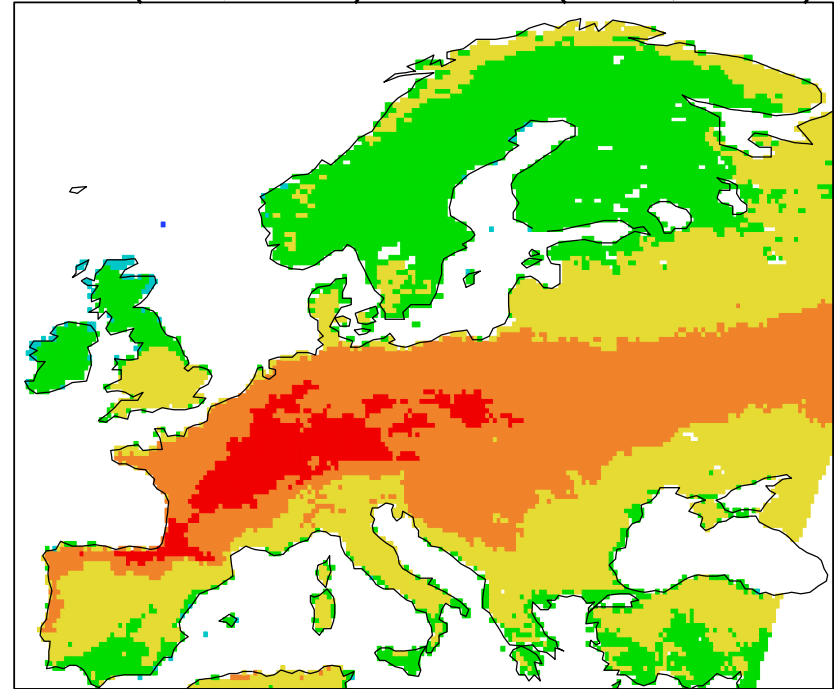
2041-2070:
area mean = **+34.1°C**

99th percentile of daily Tmax in July minus Tmax (mean) in 1981-2010

Tmax (99%) - Tmax (mean) 1981-2010 Tmax (99%,41-70) - Tmax (mean,81-10)



1981-2010: mean = 6.9°C



2041-2070: mean = 9.2°C

A 34% increase in the magnitude of extremes
(as measured in this way)

Frequency of July days with $T_{max} > T_{max} (99\%, 1981-2010)$

$P (T_{max} > T_{max99(81-10)})$, 1981-2010



1981-2010: mean = 1%

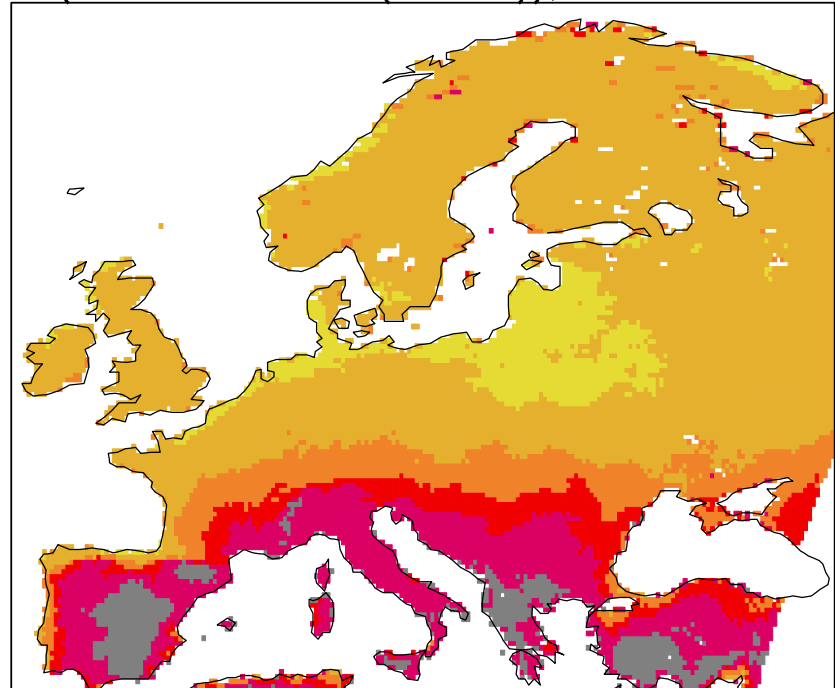
Frequency of July days with $T_{max} > T_{max}^{99\%}(1981-2010)$

$P(T_{max} > T_{max}^{99\%}(1981-2010))$, 1981-2010



1981-2010: mean = 1%

$P(T_{max} > T_{max}^{99\%}(1981-2010))$, 2041-2070



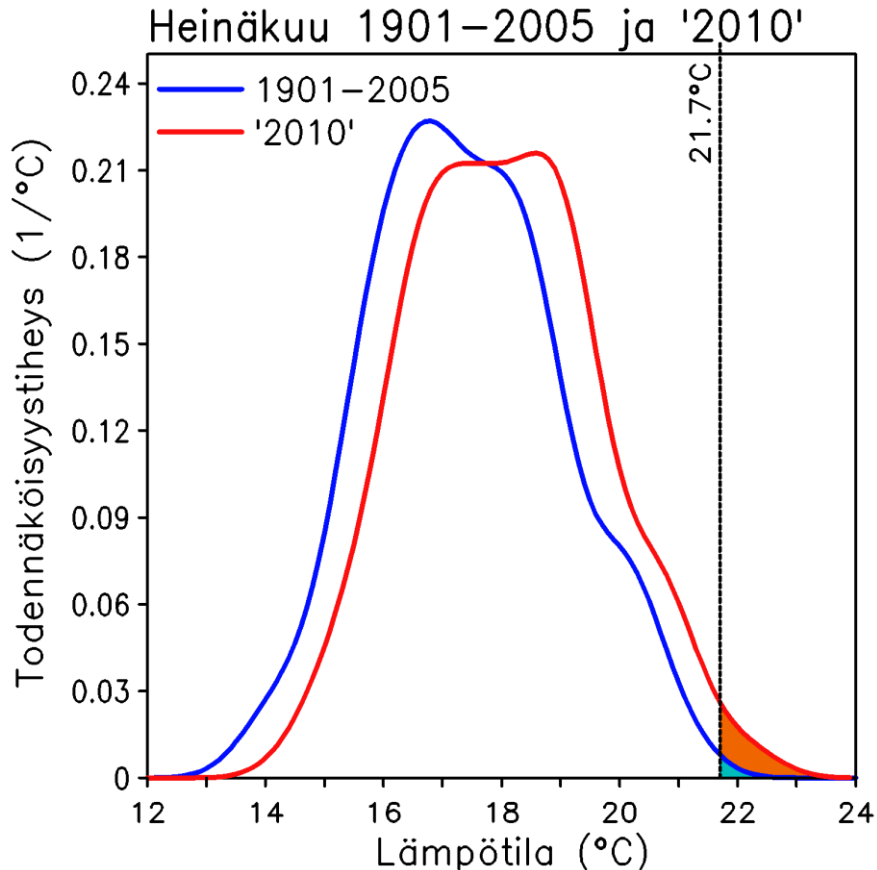
2041-2070: mean = 12.8%

Over 12-fold increase in the frequency of extremes

Which broadly means that...

- Every time T_{\max} is "extremely high" in 2041-2070 most of the warm anomaly is due to natural variability (rather than climate change)
- In a vast majority of these cases ($> 90\%$), T_{\max} would never have crossed the threshold of being "extreme" without the effect of climate change
- **This difference** (change in frequency \gg change in magnitude) **is a classic source of confusion in the discussion of observed extremes**

The record-warm July 2010 in Helsinki



Mean T: **+21.7°C**

Difference from mean of 1901-2005:

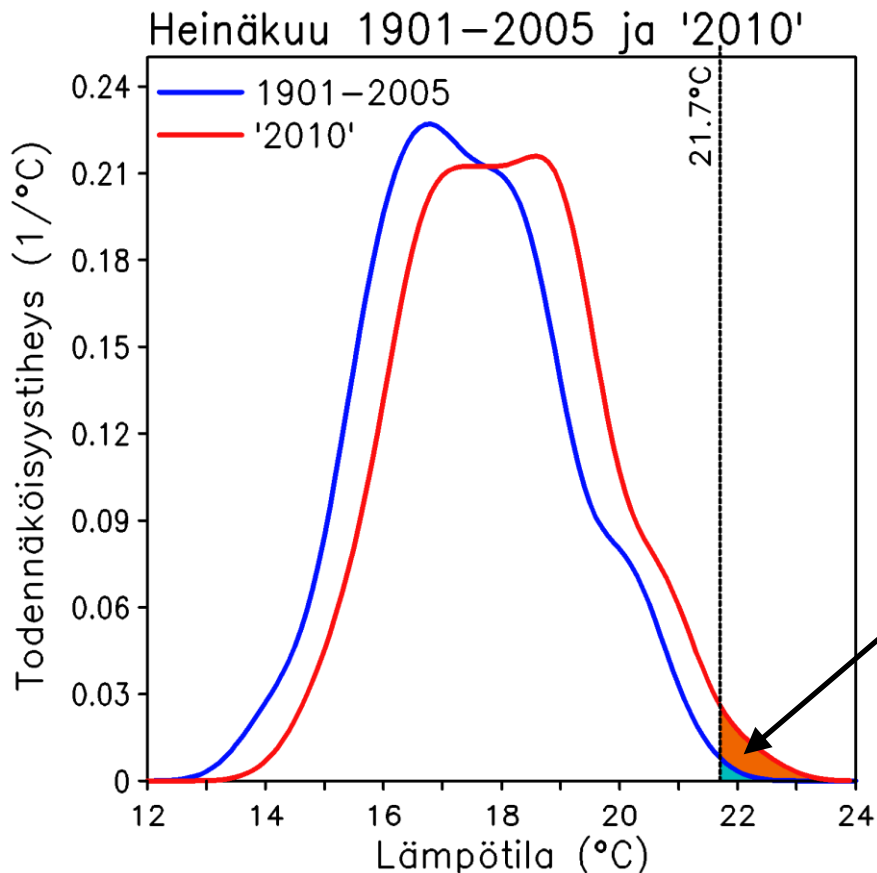
+4.4°C

If we believe climate models: **~15%**
of the anomaly due to climate change?

→ **Mostly natural variability**

Method: Räisänen & Ruokolainen
(2008, Geophysica)

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Yet ... probability for $T \geq +21.7^\circ\text{C}$:

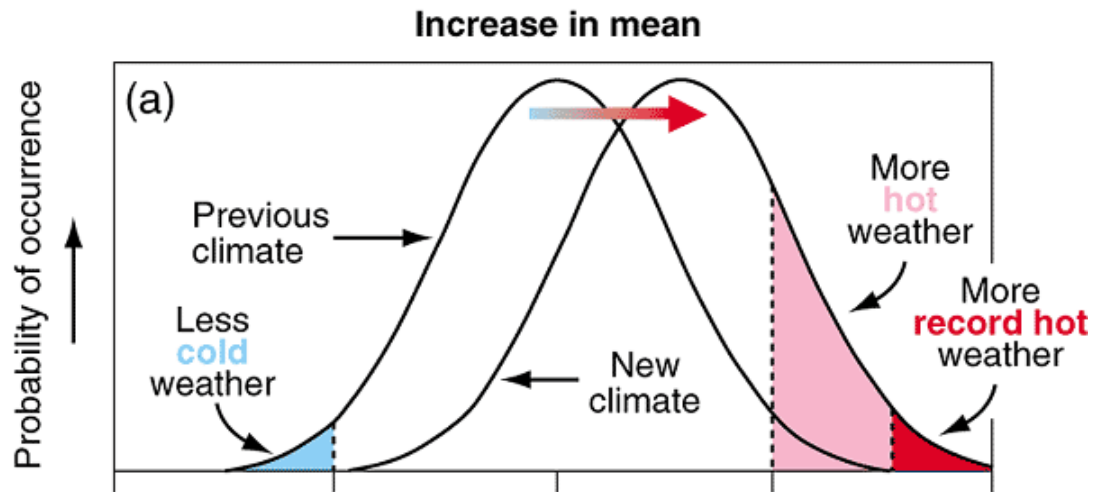
'Old climate' (1901-2005) ~ **0.3% (?)**

'Present climate' (2010) ~ **1.7% (?)**

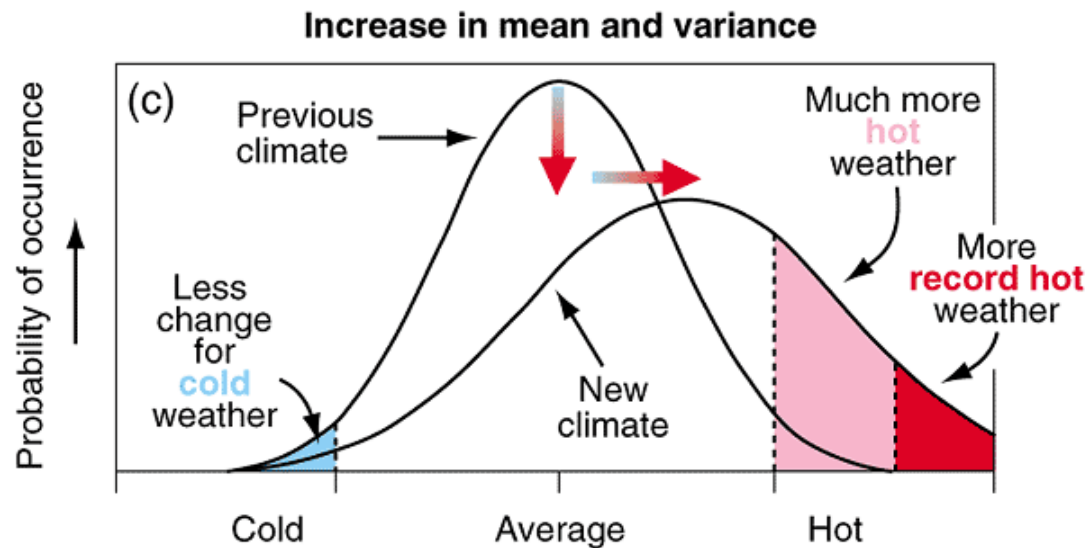
→ **Climate change has made the probability of such extreme warmth several times larger?**

Method: Räisänen & Ruokolainen
(2008, Geophysica)

Changes in extremes depend on both changes in mean climate and variability



IPCC WG1 (2001) Fig. 2.32



EXTREME EVENTS IN A CHANGING CLIMATE: VARIABILITY IS MORE IMPORTANT THAN AVERAGES

RICHARD W. KATZ and BARBARA G. BROWN

Environmental and Societal Impacts Group, National Center for Atmospheric Research, Boulder,
CO 80307, U.S.A.*

Climatic Change (1992)

Is this true in practise?

A theoretical example

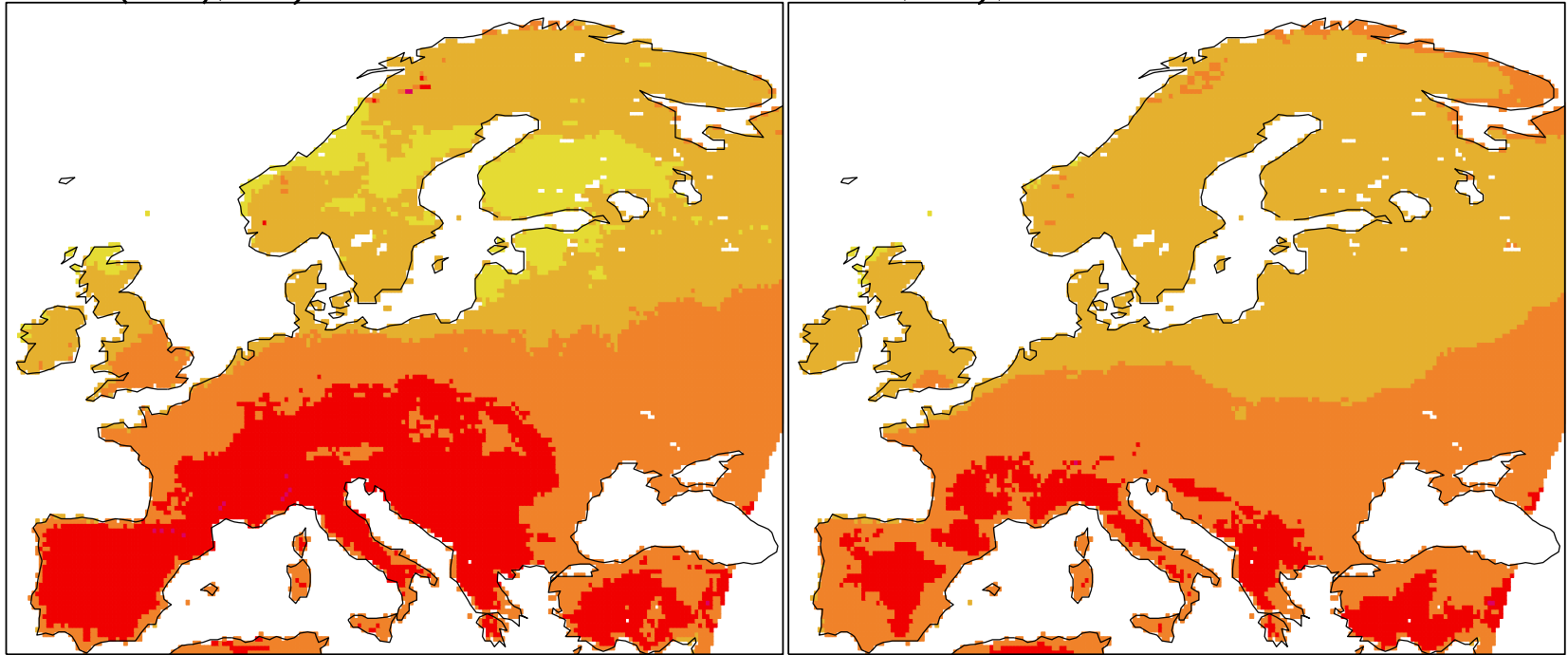
- If T is normally distributed, then

$$T(99\%) \approx \text{Mean}(T) + 2.3\text{Std}(T)$$

- If $\text{Mean}(T)$ increases by 1°C , with no change in $\text{Std}(T)$, $T(99\%)$ will increase by 1°C .
- If $\text{Std}(T)$ increases by 1°C , with no change in $\text{Mean}(T)$, $T(99\%)$ will increase by 2.3°C .
- Yes, **change in standard deviation is more important for the extremes than the change in the mean ...**
- ... **assuming that the change in the mean and the standard deviation are of similar magnitude!**

Changes in temperature in July: 1981-2010 → 2041-2070

Tmax (99%), July 2041-70 - 1981-2010 Tmean, July, 2041-70 - 1981-2010



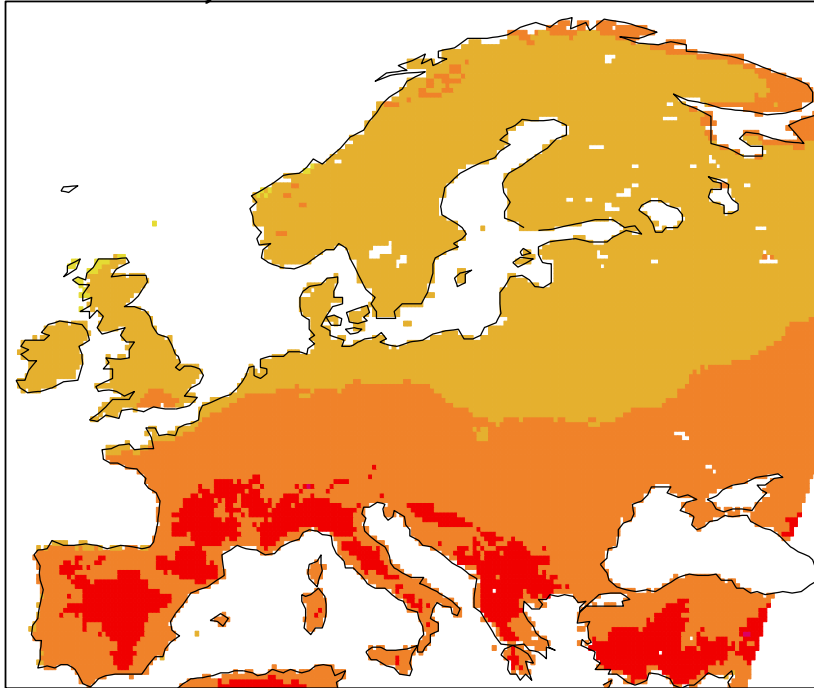
Tmax (99%): mean = **2.3°C**



Mean T: mean = **2.2°C**

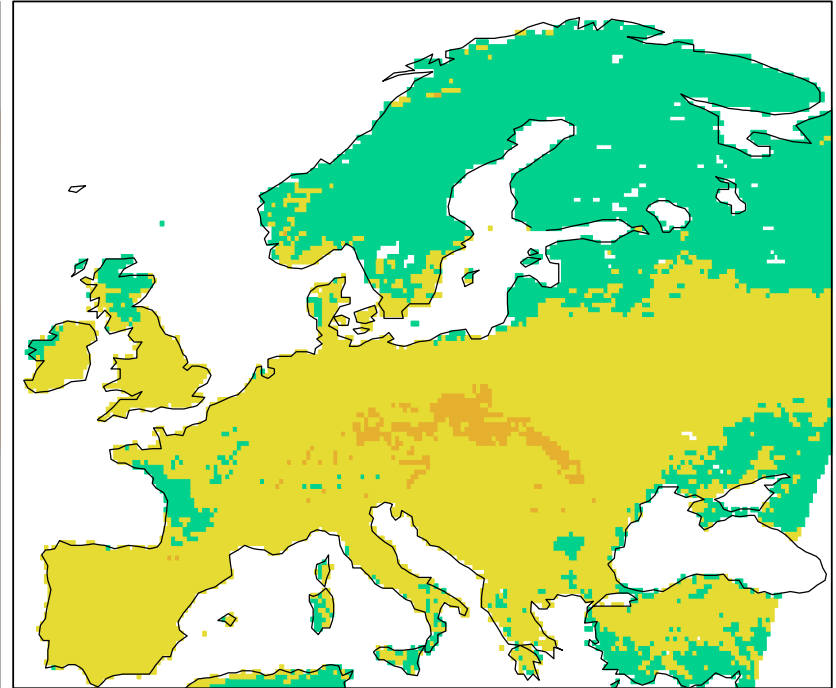
Changes in temperature in July: 1981-2010 → 2041-2070

T_{mean}, July, 2041-70 - 1981-2010



Mean T: mean = **2.2°C**

T_{max99} - T_{mean}, 2041-70 - 1981-2010

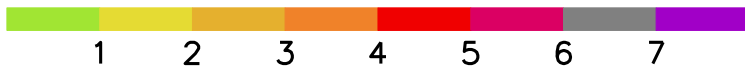
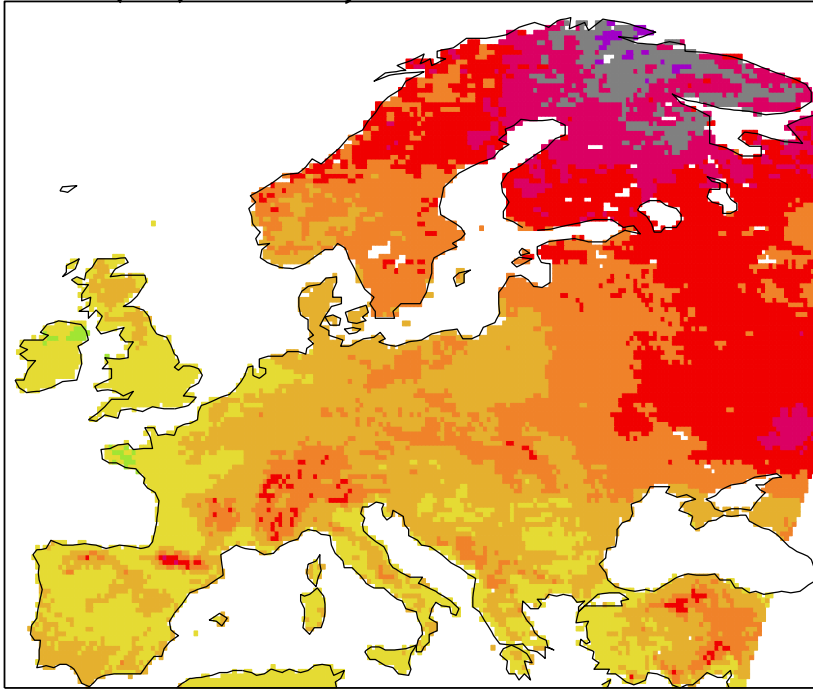


99% - mean T: mean = **0.2°C**

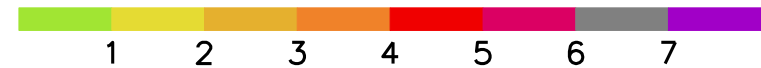
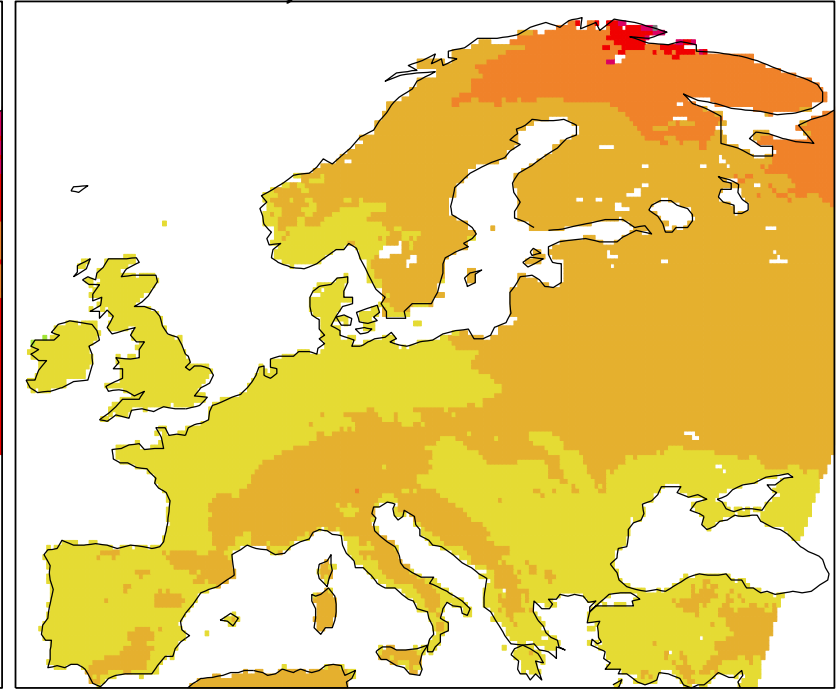
Changes in variability are less important than the change in the mean (in this case)

Changes in temperature in January: 1981-2010 → 2041-2070

Tmin (1%), January 2041-70 - 1981-2010 Tmean, January, 2041-70 - 1981-2010



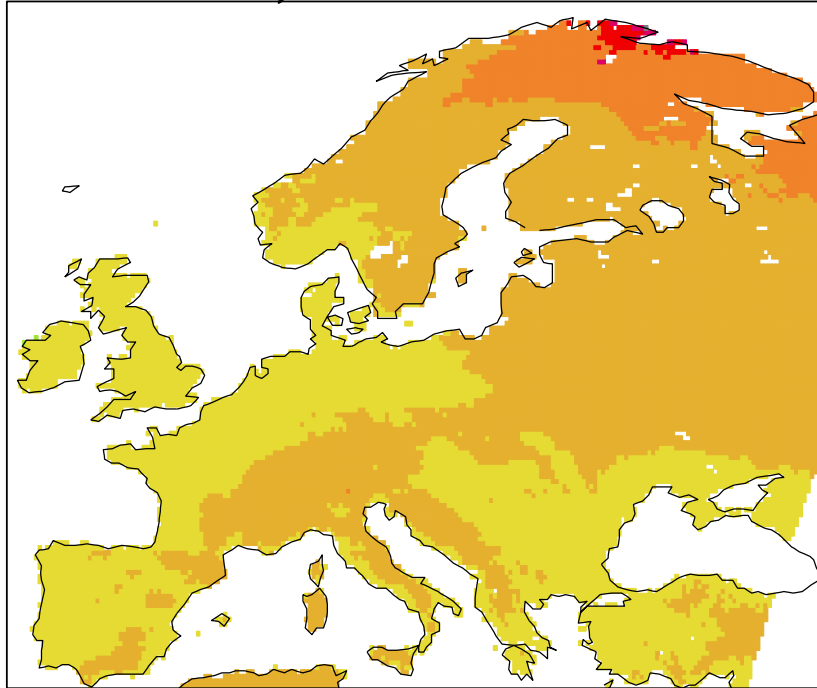
Tmin (1%): mean = **3.2°C**



Mean T: mean = **2.2°C**

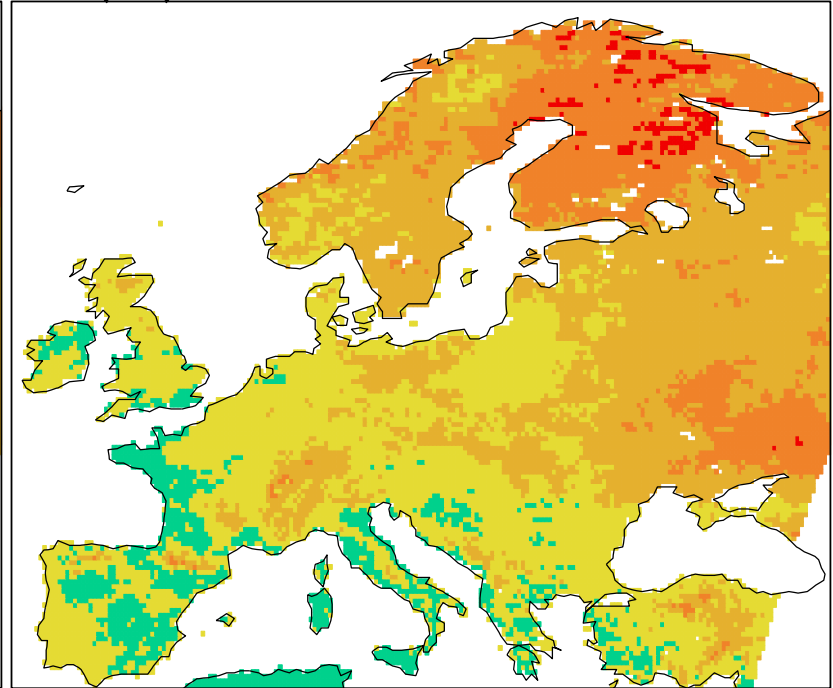
Changes in temperature in January: 1981-2010 → 2041-2070

T_{mean} , January, 2041-70 - 1981-2010



T_{mean} : mean = **2.2°C**

$T_{\text{min}}(1\%) - T_{\text{mean}}$, 2041-70 - 1981-2010

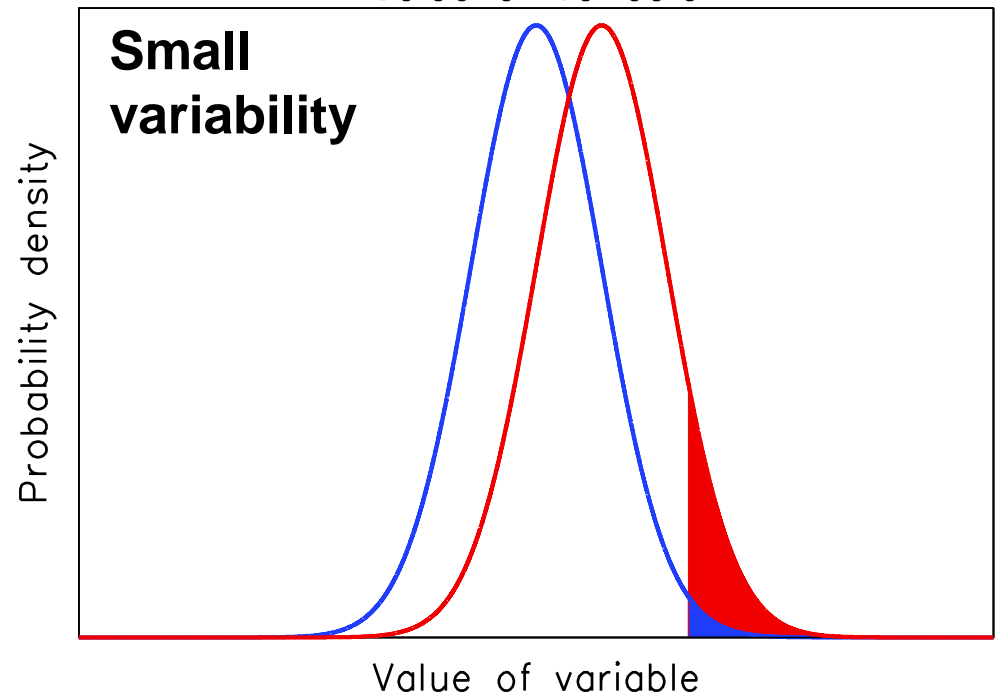
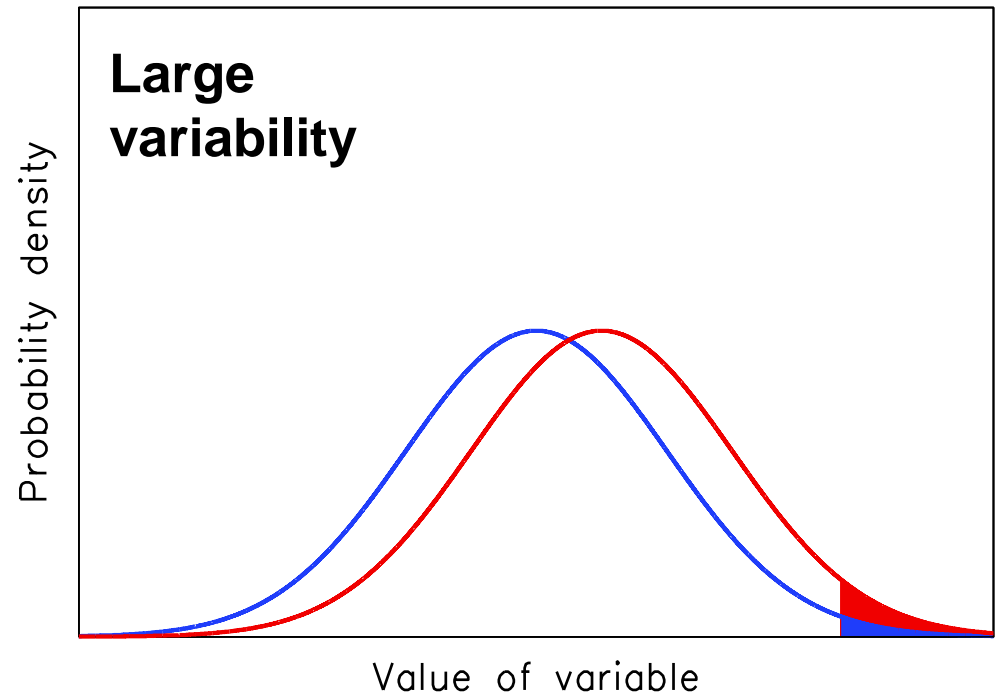


1% - mean T: mean = **1.0°C**

Reduced variability also ameliorates cold winter extremes
in Northern + Eastern Europe

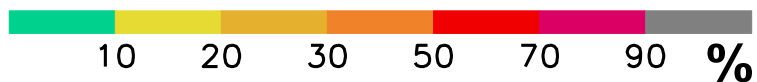
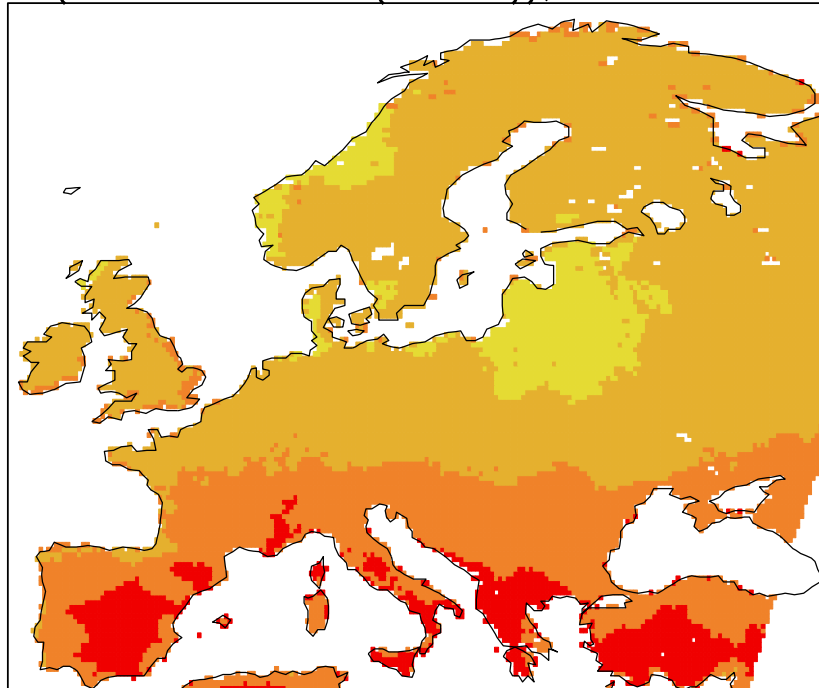
Role of present-day variability

- For the same shift in the mean, the change in the frequency of extremes increases with decreasing present-day variability



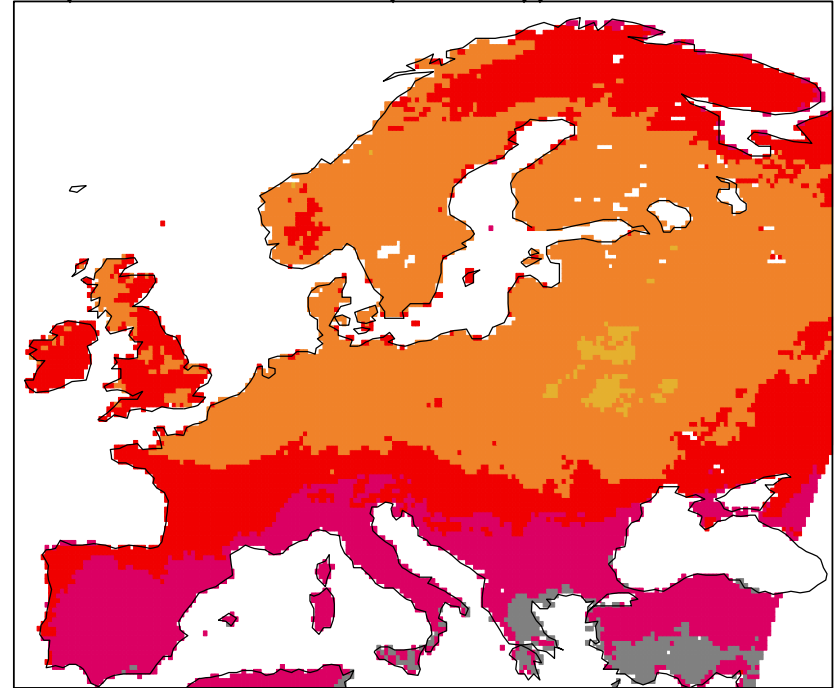
Frequency of July cases with $T > T$ (90%, 1981-2010) in 2041-2070

$P(T_{\max} > T_{\max 90(81-10)})$, 2041-2070



Daily Tmax: mean = **32%**

$P(T_{\text{mon}} > T_{\text{mon} 90(81-10)})$, 2041-2070



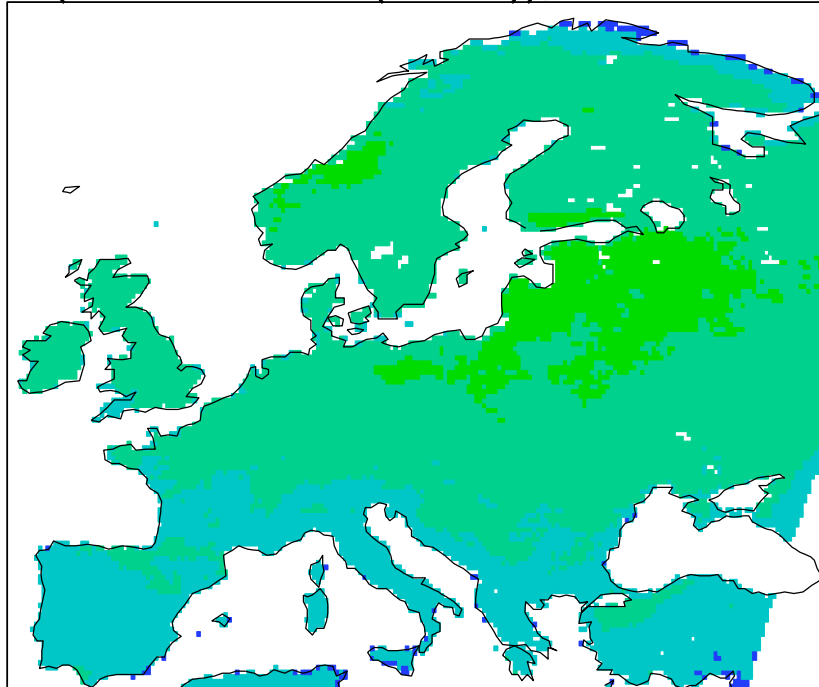
Monthly mean T: mean = **56%**

**A narrower baseline distribution translates into
a larger change in the frequency of extremes**

Frequency of July cases with

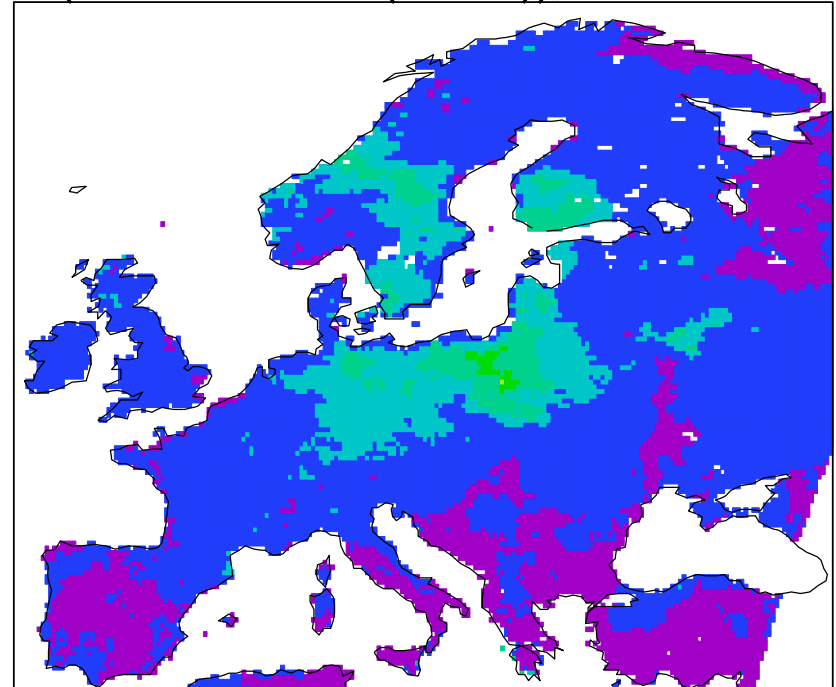
$T < T$ (10%, 1981-2010) in 2041-2070

$P(T_{\max} < T_{\max 10(81-10)})$, 2041-2070



Daily Tmax: mean = **2.6%**

$P(T_{\text{mon}} > T_{\text{mon} 10(81-10)})$, 2041-2070



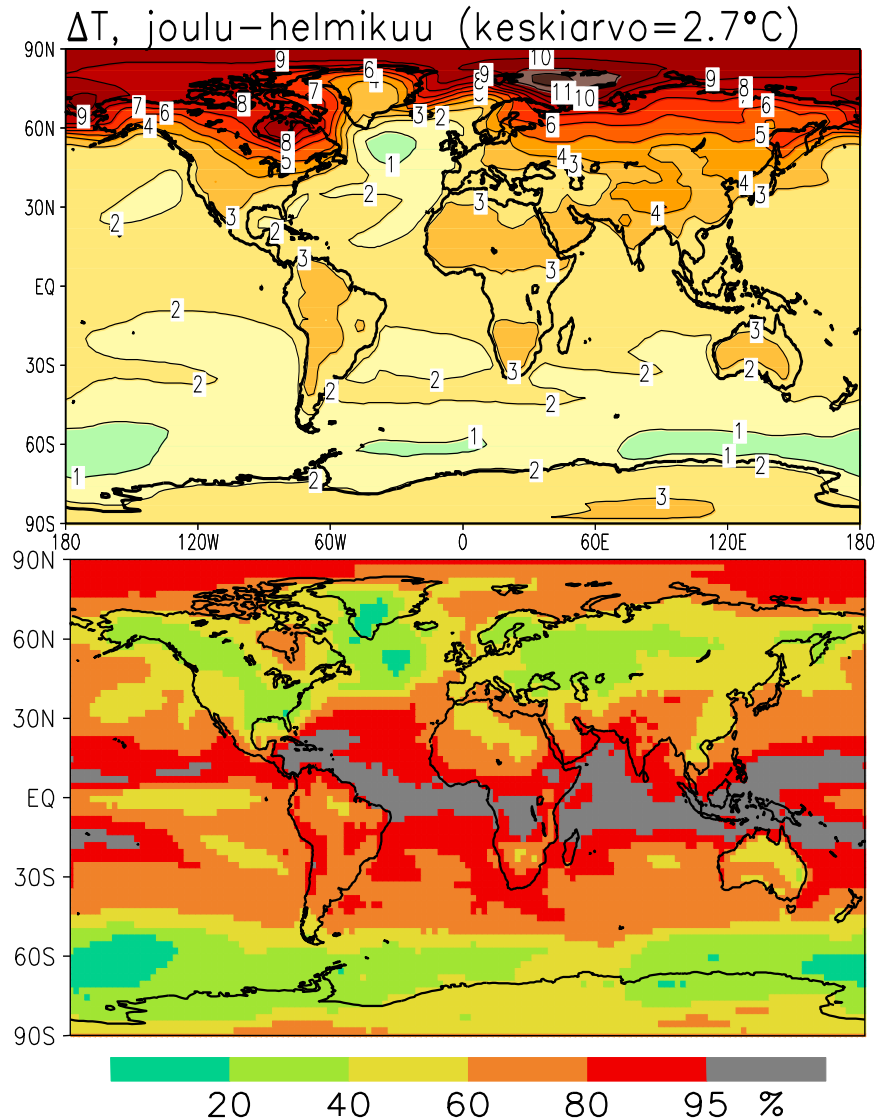
Monthly mean T: mean = **0.5%**

Cold individual days will still occur, but cold months will become a rarity

Changes in "winter" (Dec-Jan-Feb) climate (SRES A1B scenario, mean of 22 CMIP3 models)

**Change in DJF
mean temperature
(1971-2000 → 2070-2099)**

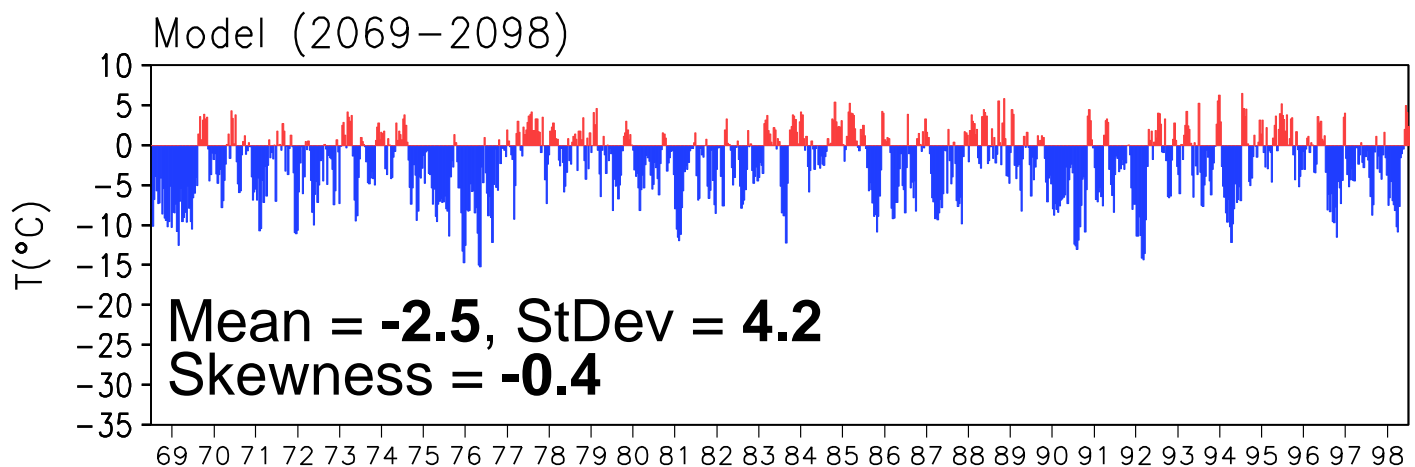
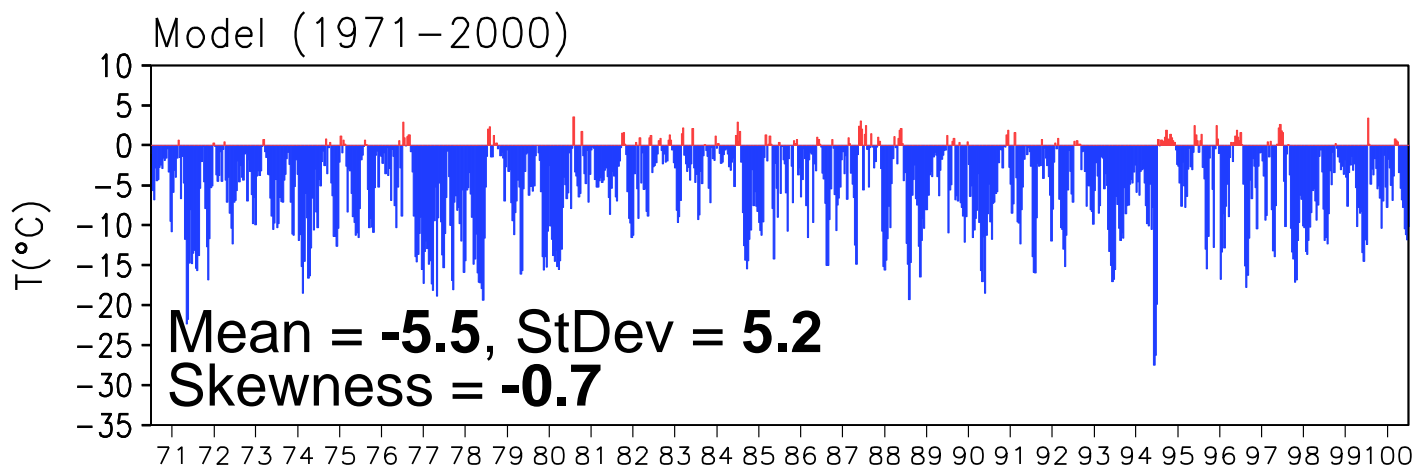
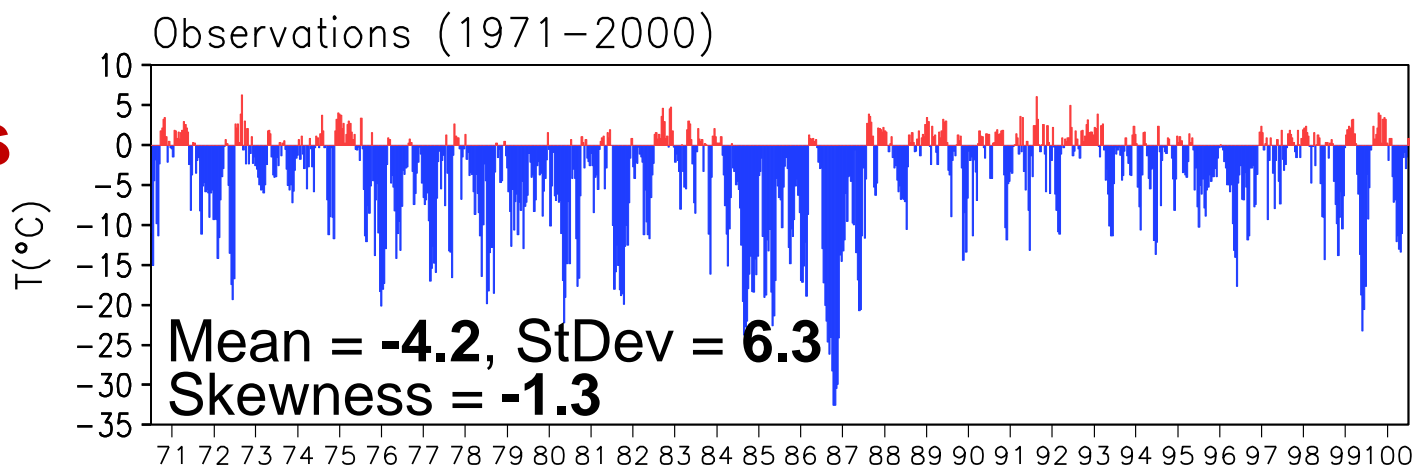
**Frequency of DJF
seasons warmer
than any DJF
in years 1901-2007
(in 2050-2099)**



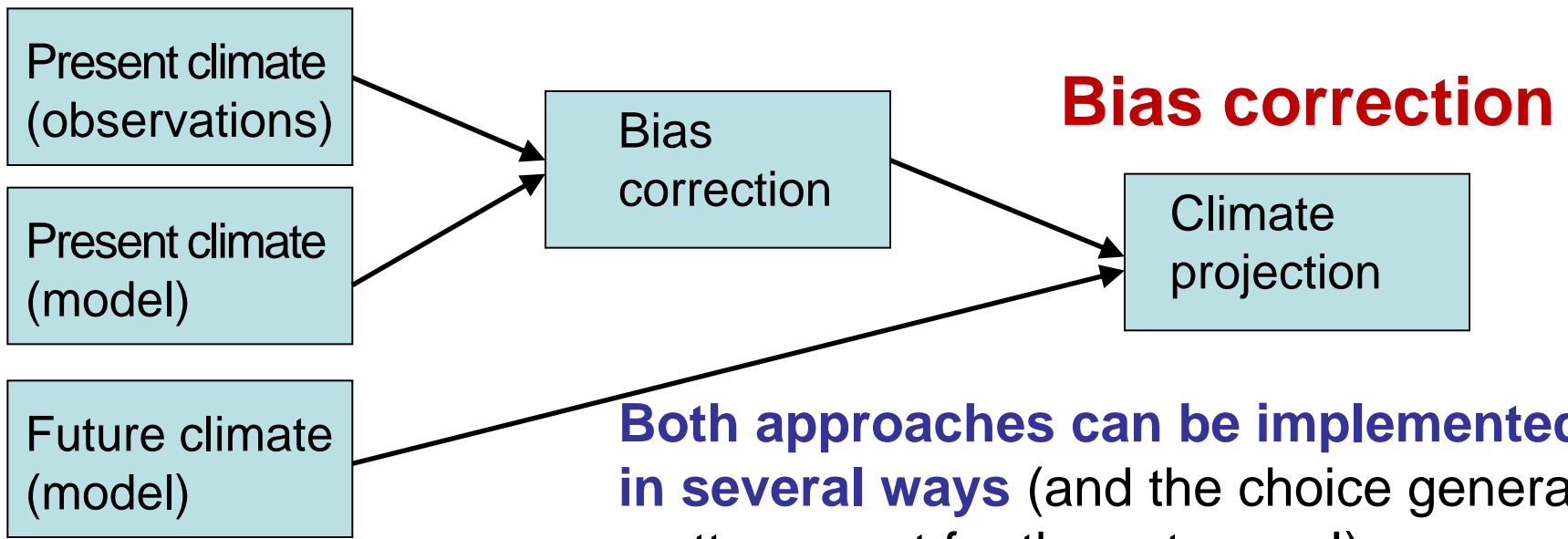
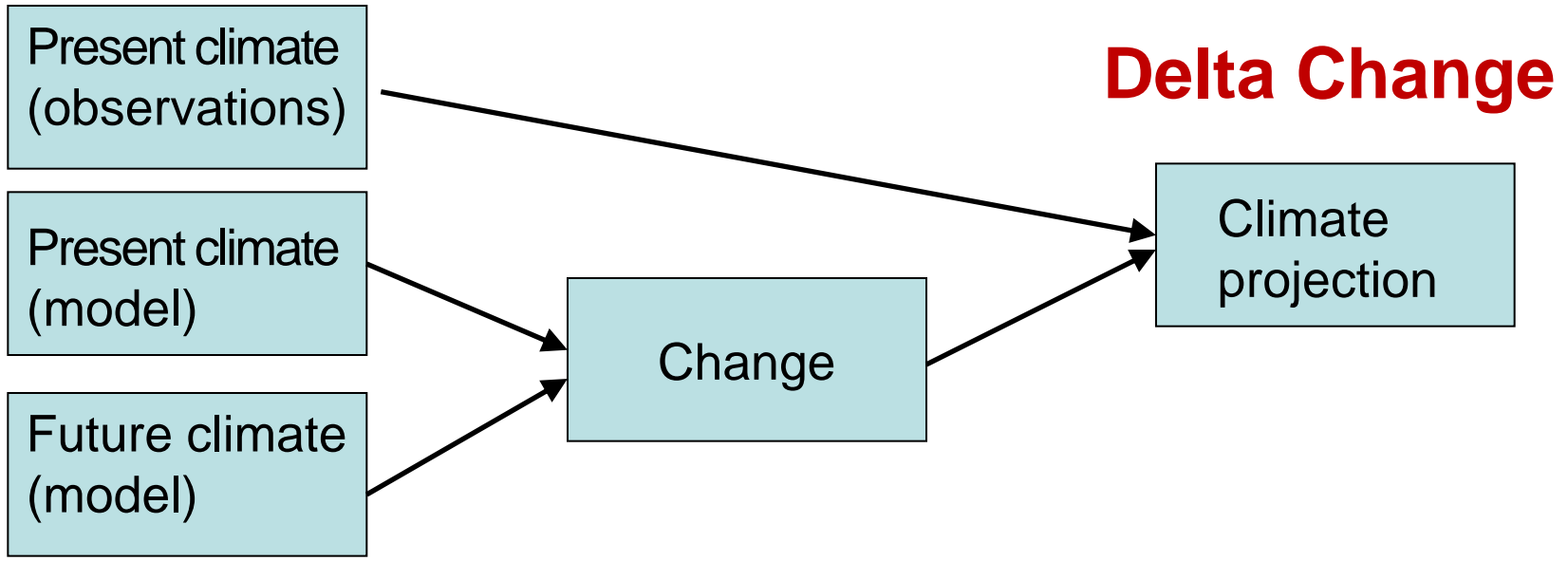
Challenges in estimating extremes in future climate

- **Effect of model error on simulated climate change**
 - Larger for extremes than mean values?
- **Estimation of climate change signal in models**
 - larger sampling variability in tails
 - estimates based on changes in 'bulk' properties (mean, StDev etc.) may or may not be representative
- **Model error for present-day climate calls for bias correction or 'delta change' methods**
 - Both require information of observed present-day climate
- **Observed present-day climate less well determined for extremes than the mean**
 - larger sampling variability in the tails

Daily mean temperatures in Helsinki in January



What about
"Observations
2069-2098"?



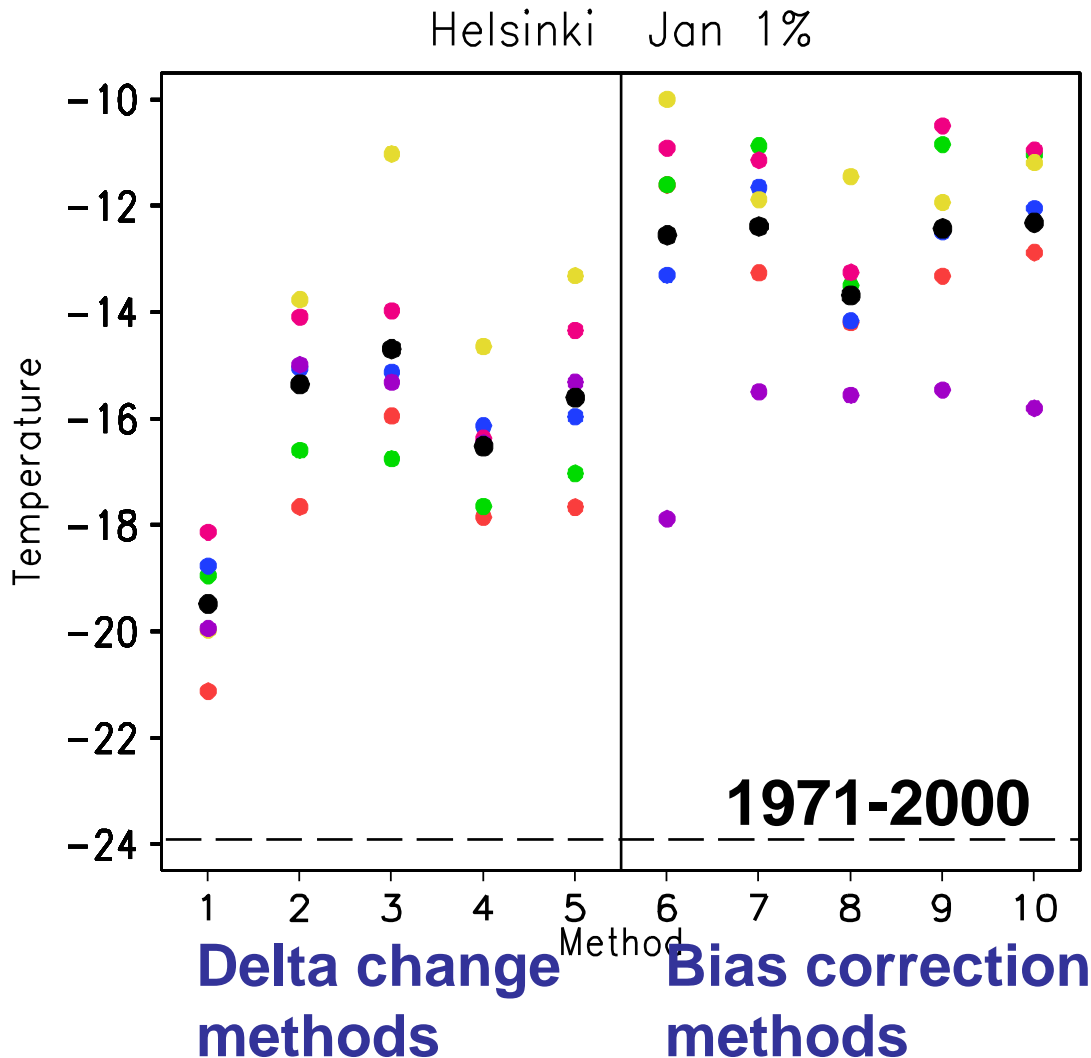
Both approaches can be implemented in several ways (and the choice generally matters most for the extremes!)

The next slide will show projections of the **1st percentile** of daily mean T in **Helsinki** in **January** in **2069-2098**, using **6 ENSEMBLES RCM simulations** and **10 projection methods**

changed / corrected	Delta change	Bias correction
Mean	1	6
Mean + StDev	2	7
Mean + StDev + Skewness	3	8
Quantile mapping (non-parametric)	4	9
Quantile mapping (linear fit)	5	10

- Details: Räisänen & Rätty, Climate Dynamics (2013)

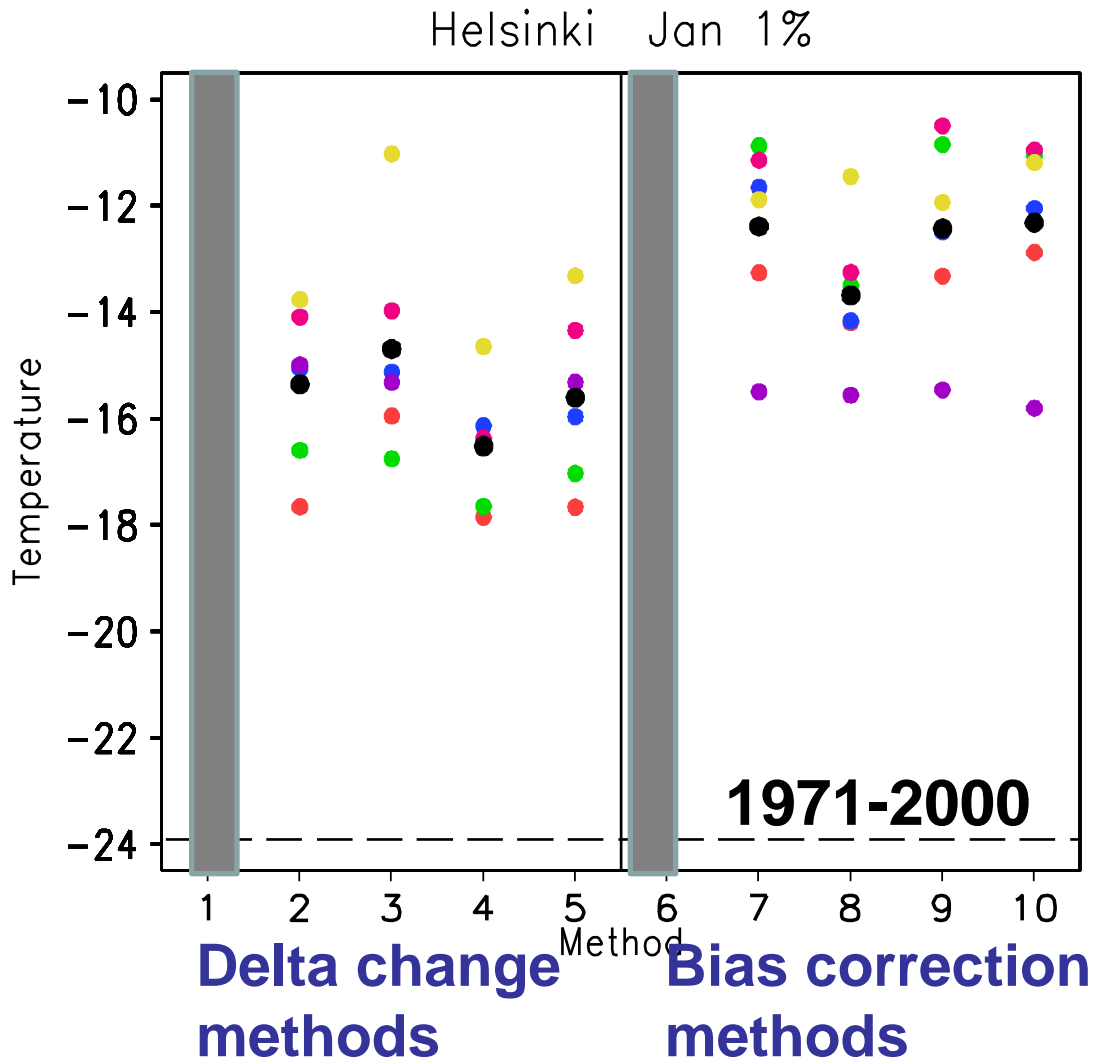
Example: 1st percentile of daily mean T in January, Helsinki, 2069-2098



Black = ensemble mean from 6 RCM simulations

Other colors: 6 RCM simulations separately

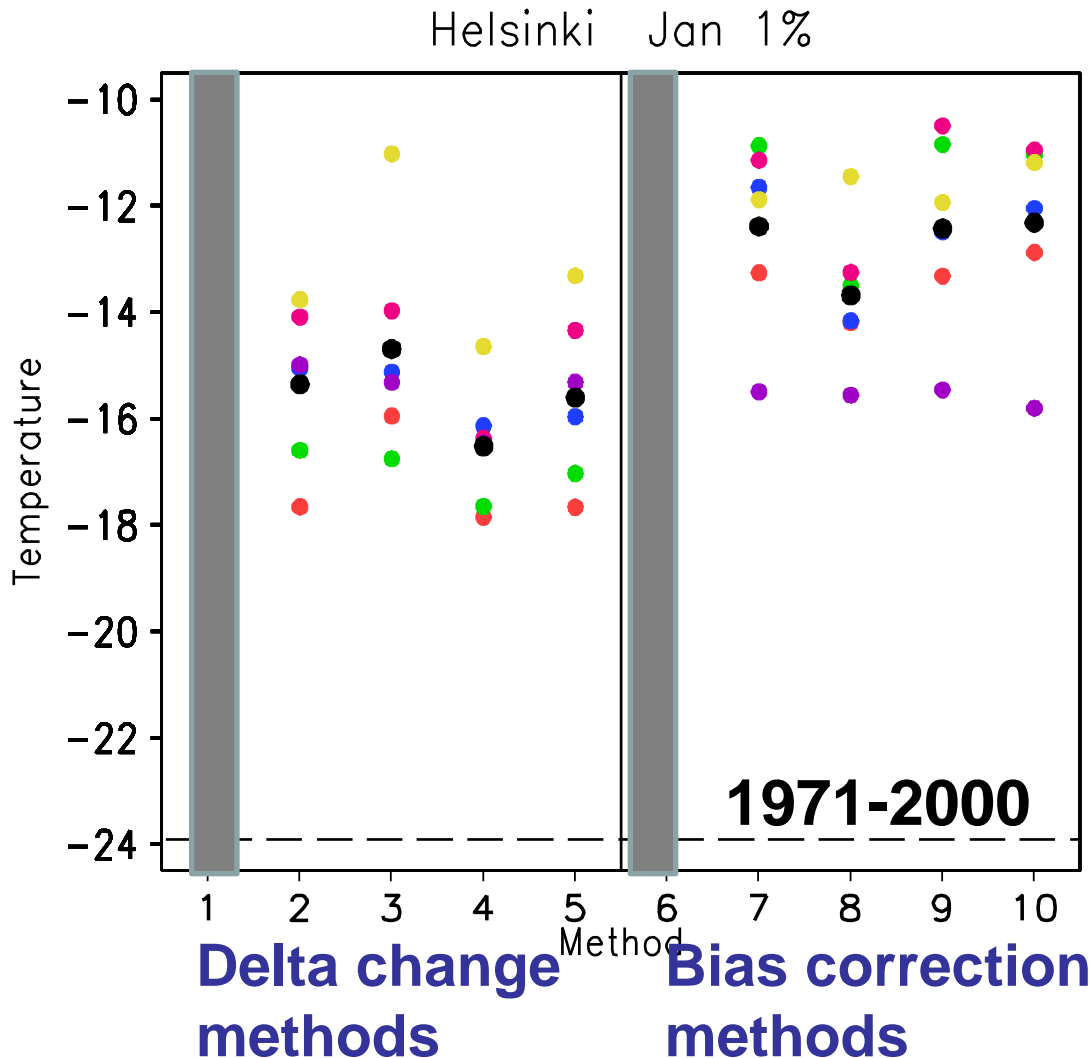
Example: 1st percentile of daily mean T in January, Helsinki, 2069-2098



Black = ensemble mean from 6 RCM simulations

Other colors: 6 RCM simulations separately

Example: 1st percentile of daily mean T in January, Helsinki, 2069-2098



Substantial method- (as well as model-) dependence of the results, even when excluding two methods that perform badly in cross-validation tests

Key messages

- **Don't mix changes in the magnitude and the frequency of extremes**
 - The latter are often larger than expected from the former
- **Changes in variability are not always more important than changes in the mean**
- **A narrower present-day distribution translates into a larger change in the frequency of extremes**
 - Daily vs. monthly temperatures
 - Tropics vs. higher latitudes
- **Projections of future extremes sensitive to both the model used and the delta change / bias correction method chosen**